

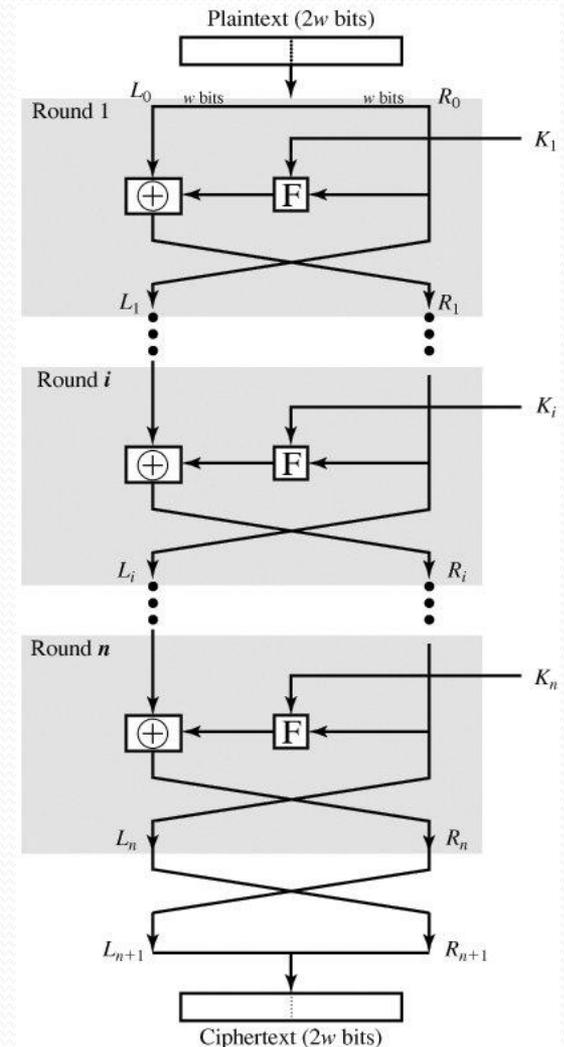
CS ??? Computer Security

Authentication and Hashing

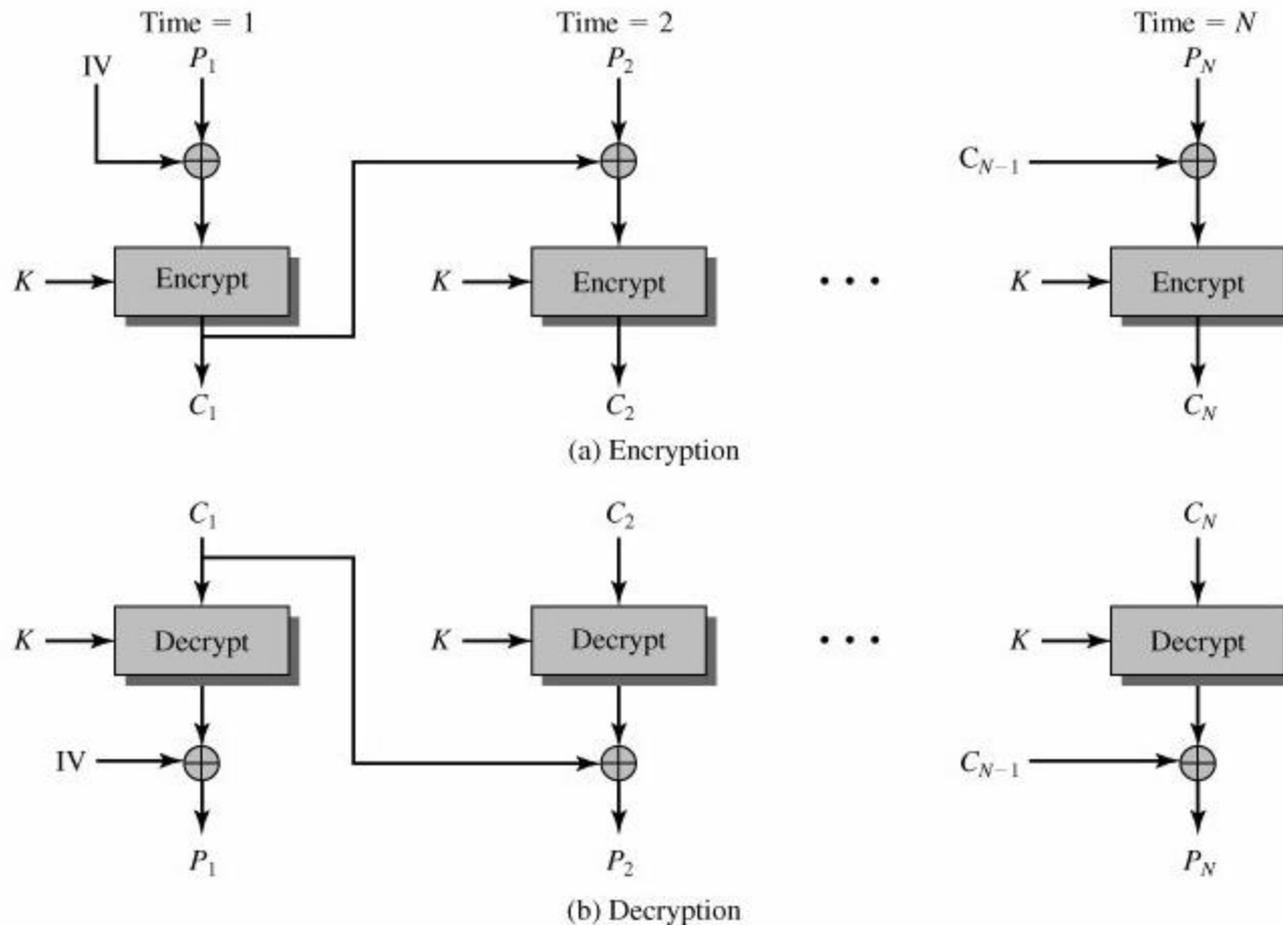
Yasser F. O. Mohammad

REMINDER 1: Feistel Network

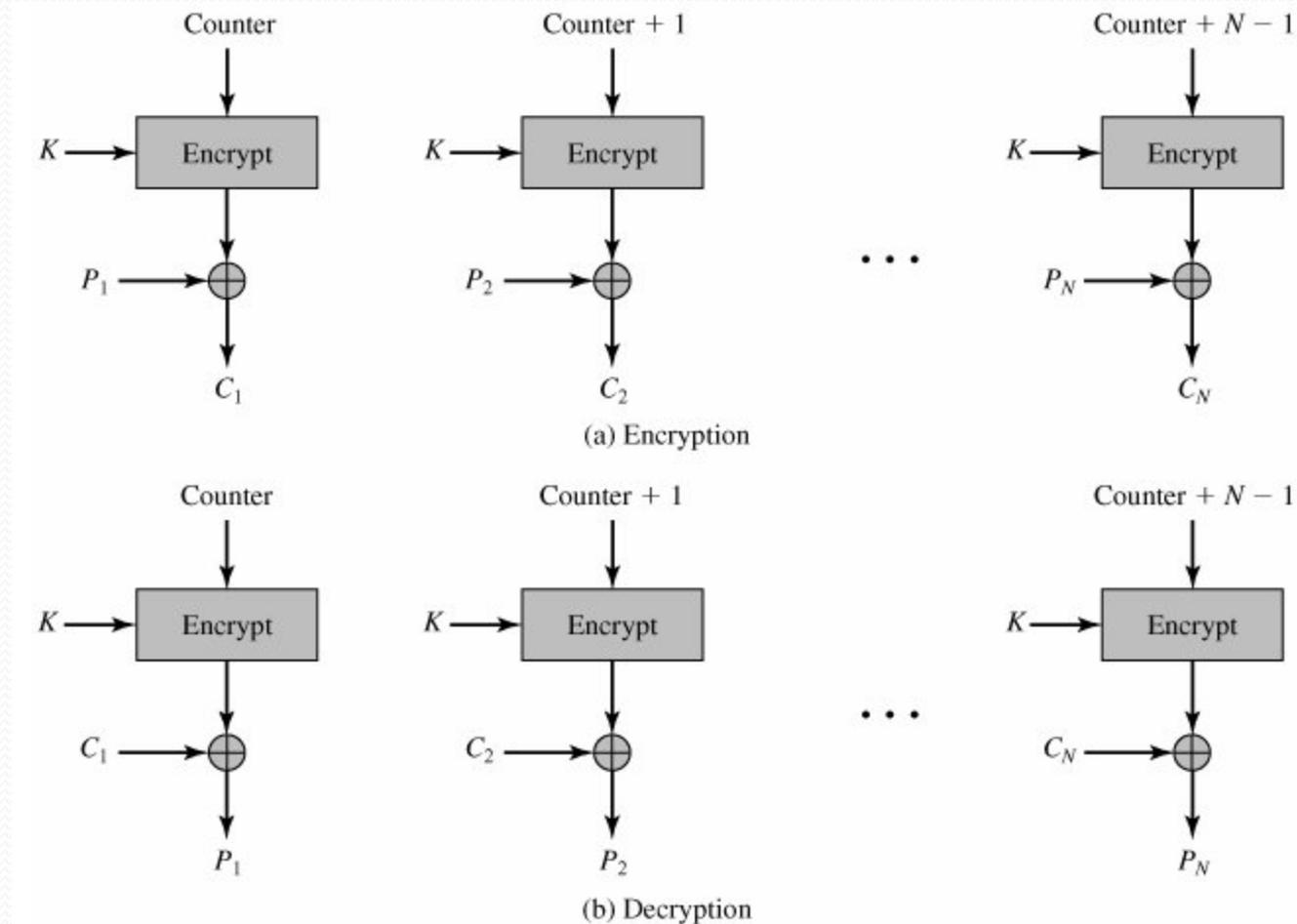
- Each round consists of:
 - Substitution on left half of text
 - Permutation of the two halves
- The substitution is controlled by the key of every round
- Factors of Security:
 - Block size
 - Key size
 - N. rounds
 - Subkey generation
 - Round Function
- Decryption = Encryption with reversed subkey order



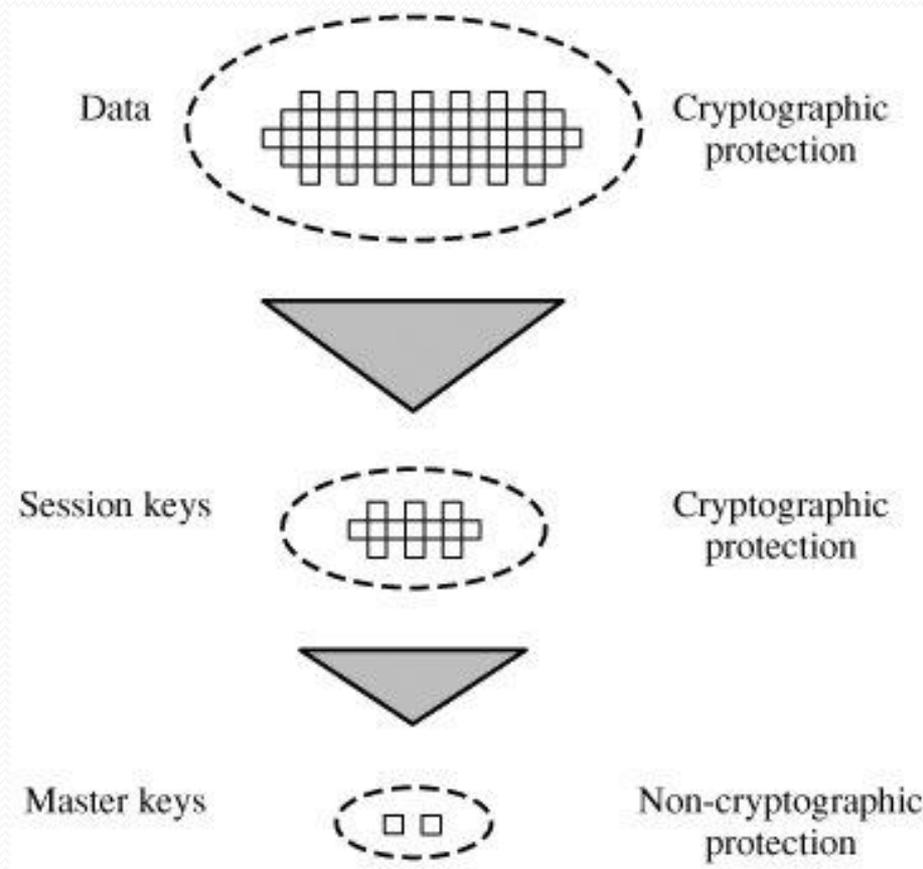
REMINDER 2: CBC (Cipher Block Chaining Mode)



REMINDER 3: CTR (Counter Mode)



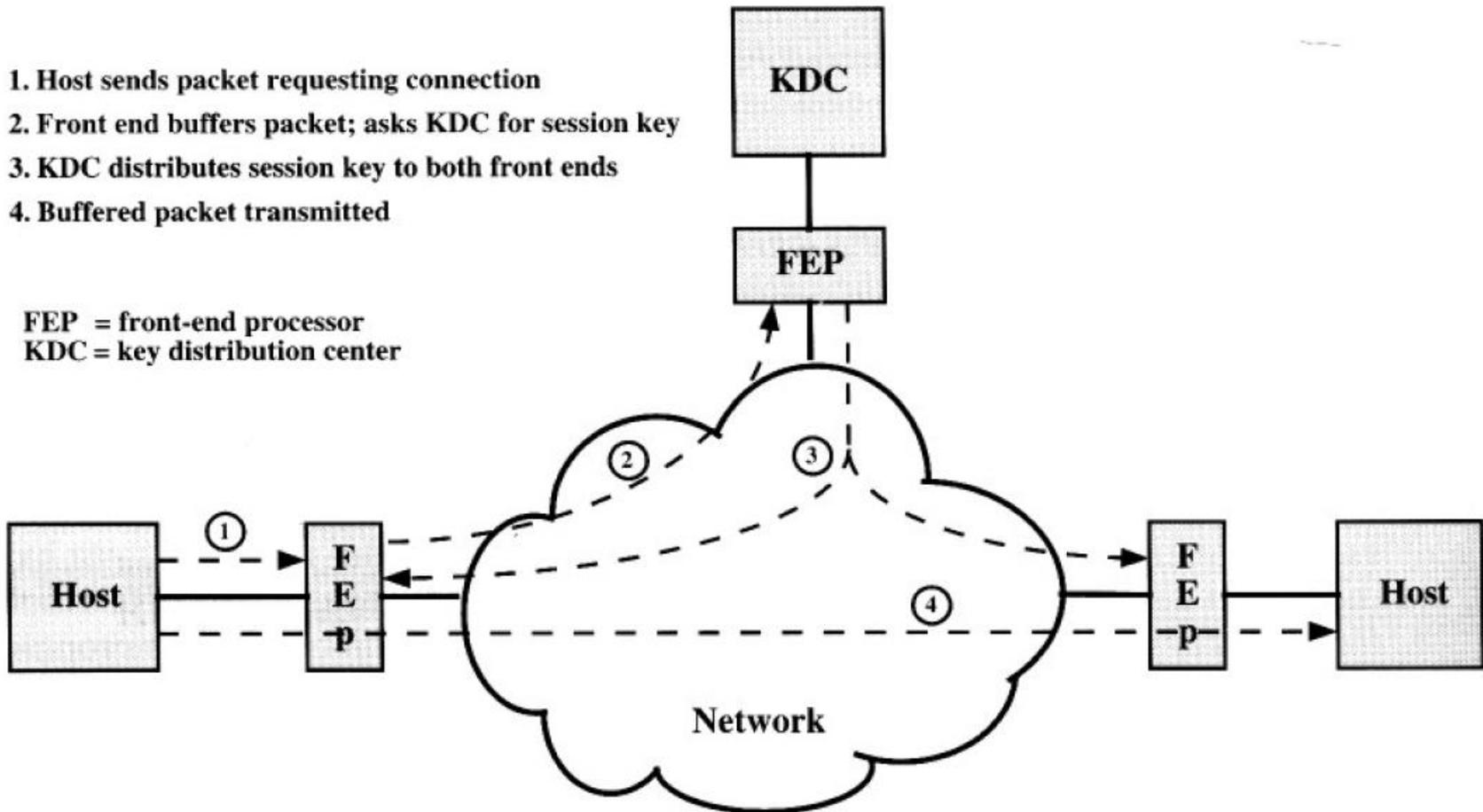
REMINDER 4: Key Hierarchy



REMINDER 5: Key Distribution Center

1. Host sends packet requesting connection
2. Front end buffers packet; asks KDC for session key
3. KDC distributes session key to both front ends
4. Buffered packet transmitted

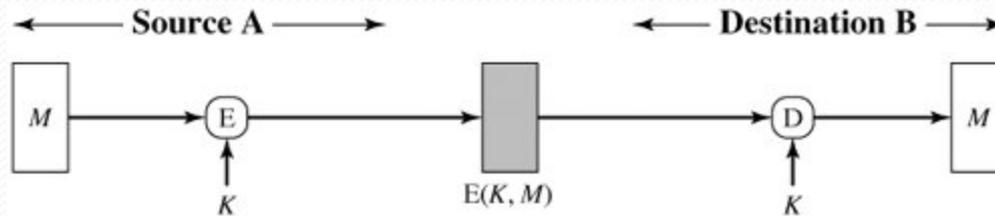
FEP = front-end processor
KDC = key distribution center



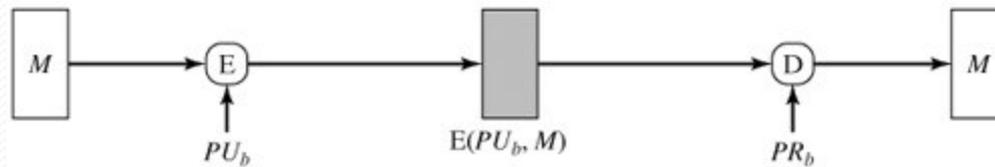
Rule of Authentication

- Encryption protects against passive attacks
- Authentication protects against active attacks
- Authentication uses encryption

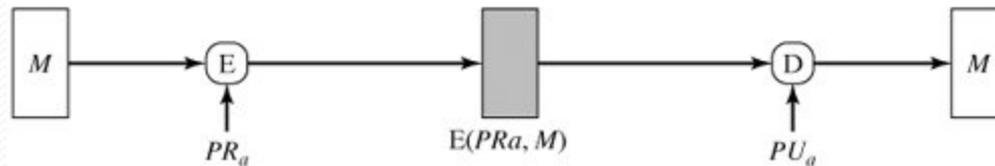
Different Uses of Encryption



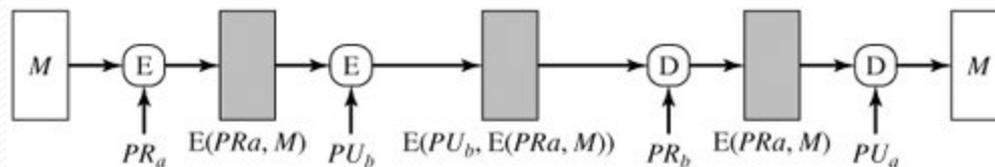
(a) Symmetric encryption: confidentiality and authentication



(b) Public-key encryption: confidentiality



(c) Public-key encryption: authentication and signature



(d) Public-key encryption: confidentiality, authentication, and signature

Authentication Without Confidentiality

- Why?
 - Broadcasting
 - I am too busy to encrypt
 - Authentication of programs (no need to decrypt every time)
- How?
 - Message Authentication Code (MAC)
 - One Way Hash function

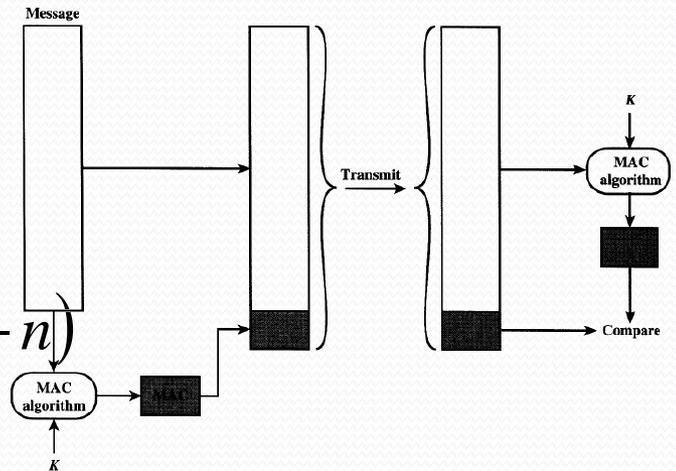
MAC

$A \rightarrow B : M + MAC$

$MAC \equiv Substring(E(k_{A-B}, M), n)$

$B : M_1 = Substring(M_{received}, strlen(M_{received}) - n)$

$Test(MAC == Substring(E(k_{A-B}, M_1), n))$



- B knows that the message was not altered. Why?
- B knows that the message is from A. Why?
- If the message contains a sequence number, B knows that the order was not altered
- Usually DES is used and n equals 16 or 32

Authentication using shared key

$A \rightarrow B : M_1 = E(k_{A-B}, 'hello' + M)$

$B : \text{if } \text{Substring}(D(k_{A-B}, M_{1\text{-received}}), 5) == 'hello' \text{ then}$

$M_{1\text{-received}} == M_1$

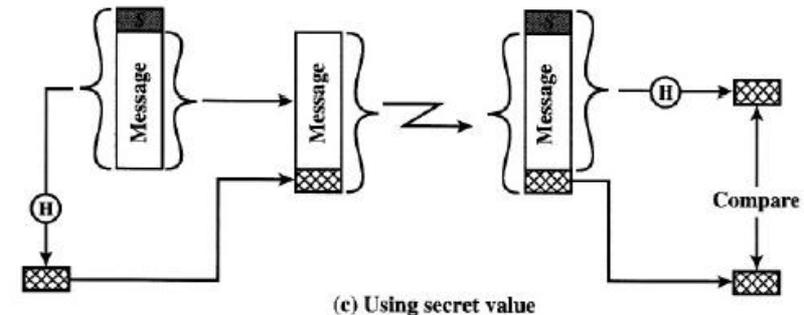
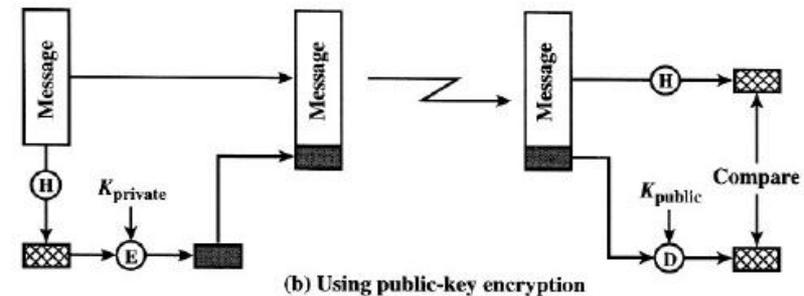
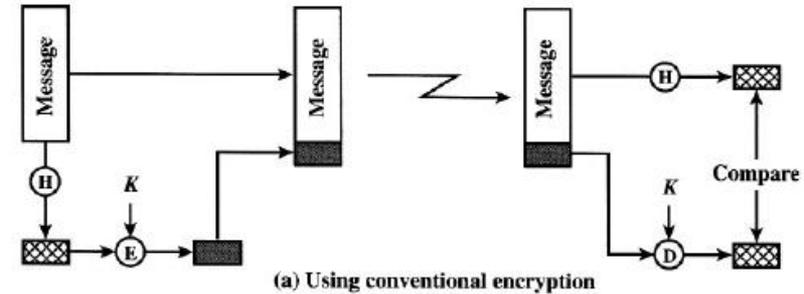
$\text{Sender}(M_1) == A$

if $E \neq A$ then E cannot read M

How can we use this exchange to agree on a new key? Why would we want to do that?

One Way Hash Functions

- a) Only we know k
 - *Most conventional*
- b) Uses Public Keys only
 - *Offers Nonrepudiation*
 - *No key distribution*
- c) Only we know the secret
 - *No encryption*
 - *Used in HMAC adopted by IP security*
- ***Why No Encryption?***
 1. *Encryption is slow*
 2. *Encryption is expensive*
 3. *Encryption is optimized for large*
 4. *Patents & export control*



Hash function Requirements

- Arbitrary Data Size
- Fixed length output
- Easy to compute
- One Way: Given the hash we should not recover the message
- Weak collision resistance: given x we cannot find y so that $H(x)=H(y)$
- Strong collision resistance: we cannot find any (x,y) so that $H(x)=H(y)$

General Hashing algorithm

- n bits hash
 - Treat the message as a sequence of n bit blocks
 - Process each block in some order
 - Output the final n bits

Simplest hash function (XOR)

$$C_i = b_{i1} \oplus b_{i2} \oplus \dots \oplus b_{im}$$

where

C_i = i th bit of the hash code, $1 \leq i \leq n$

m = number of n -bit blocks in the input

b_{ij} = i th bit in j th block

\oplus = XOR operation

- How to break this?

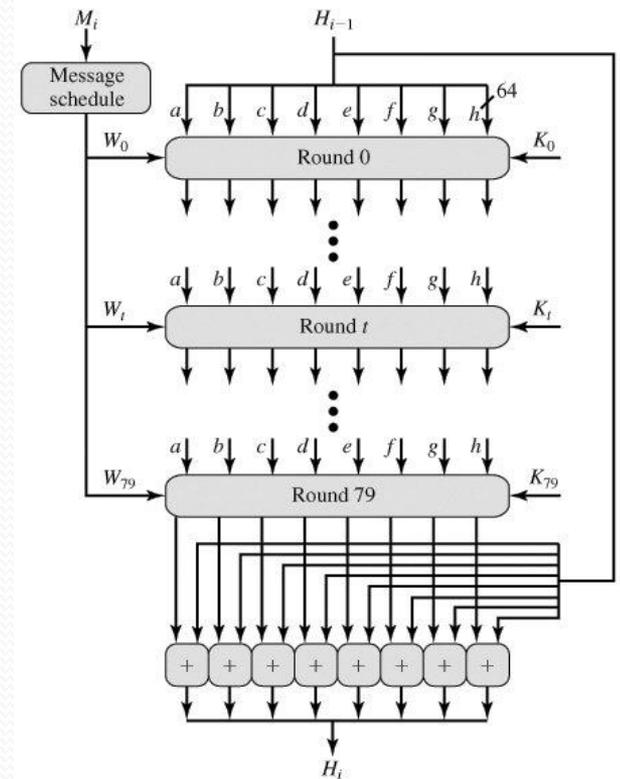
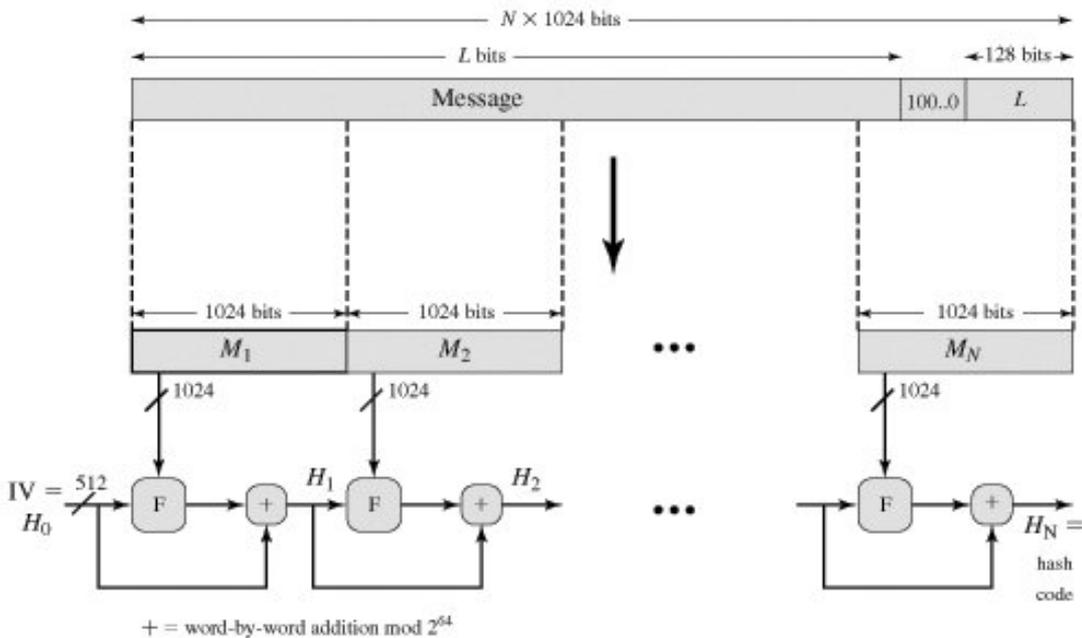
First Improvement (RXOR)

- 1.** Initially set the n -bit hash value to zero.
- 2.** Process each successive n -bit block of data as follows:
 - a.** Rotate the current hash value to the left by one bit.
 - b.** XOR the block into the hash value.

- How to break this?

Modern Hash Functions

- SHA-1 (self read the algorithm)
 - Maximum input is 2^{64}
 - Digest size = 160 bits
 - Block size is 512 or 1024 bits



Other Hash functions

- MD5
 - By Ron Rivest
 - 128 bit digest
 - 512 bit blocks
 - Arbitrary input length
- RIPEMD 160
 - 160 bit digest
 - 512 bit block

HMAC

$$\text{HMAC}(K, M) = H[(K^+ \oplus \text{opad}) || H[(K^+ \oplus \text{ipad}) || M]]$$

In words,

1. Append zeros to the left end of K to create a b -bit string K^+ (e.g., if K is of length 160 bits and $b = 512$ then K will be appended with 44 zero bytes 0×00).
2. XOR (bitwise exclusive-OR) K^+ with ipad to produce the b -bit block S_i .
3. Append M to S_i .
4. Apply H to the stream generated in step 3.
5. XOR K^+ with opad to produce the b -bit block S_o .
6. Append the hash result from step 4 to S_o .
7. Apply H to the stream generated in step 6 and output the result.

- A hash function that uses a key but does not require slow encryption.

